# STABILIZING THE OPTIMAL OPERATION STATES OF TRANSFORMER STATIONS FOR SUPPLYING THE INDUSTRIAL CONSUMERS WITH ELECTRIC ENERGY 

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## 1. Introduction

The preoccupation viewing the optimization of transformer's nominal power and of transformer stations configuration from the industrial consumers, are justified by important obtainable energy savings. In this sense, the satisfying results offers the application of the criterion of applying the criterion [1,2,5,6] of "minimal power and energy losses", but for obtaining of some more exactly values there is applied the criterion of "total updated costs". In this paper there are analyzed the" $2 \times 100 \%$ " configurations typical to MV/LV stations of industrial consumers $[1,4,6,8]$.

In fig.1, is presented the frequently applied scheme. To make the analyzing there are allowed the following hypothesis: the nominal power of the transformer is the most optimal, the characteristics of the same type devices are same and the momentary input power (S) is variable (for a working day). In fig. 1 are introduced the following notations: $\mathrm{C}_{1}, \mathrm{C}_{2}-\mathrm{MV}$ cells, $\mathrm{T}_{1}, \mathrm{~T}_{2}$ - transformers of MV/LV, C1', C2' - the cells of LV. The switching equipment may be having ASR - automat switching on system of the reserve.

There is noted with:

1. the state with a single supplying path in operation (with passive reserve)
2. the state with two paths of supplying in operation (active reserve).


Fig. 1 - Scheme of $2 \times 100 \%$ configuration type


Fig. 2 - Variation of the power losses in function with the input power

There will be given the calculation relations for the input power at which is imposed the switching between two states, in relation with the applied optimization criterion and factors of consideration influence.

## 2. Application of the criterion "minimal losses of power"

If there is noted with $\Delta \mathrm{P}_{12}=\Delta \mathrm{P}_{1}-\Delta \mathrm{P}_{2}$ the difference of the total power in transformers, referring on the two sates, results:

- neglecting the reactive power losses:

$$
\begin{equation*}
\Delta \mathrm{P}_{12}=\frac{\Delta \mathrm{P}_{\mathrm{w}}}{2}\left(\frac{\mathrm{~S}}{\mathrm{~S}_{\mathrm{n}}}\right)^{2}-\Delta \mathrm{P}_{\mathrm{F}} ; \quad \quad \mathrm{S}_{\mathrm{e}}=\mathrm{S}_{\mathrm{n}} \sqrt{\frac{2 \cdot \Delta \mathrm{P}_{\mathrm{F}}}{\Delta \mathrm{P}_{\mathrm{w}}}} \tag{1}
\end{equation*}
$$

- taking into account the reactive power losses:

$$
\begin{align*}
& \Delta \mathrm{P}_{12}=\frac{1}{2}\left(\Delta \mathrm{P}_{\mathrm{w}}+\lambda \frac{\mathrm{U}_{\mathrm{sc}}}{100} \mathrm{~S}_{\mathrm{n}}\right)\left(\frac{\mathrm{S}}{\mathrm{~S}_{\mathrm{n}}}\right)^{2}-\left(\Delta \mathrm{P}_{\mathrm{F}}+\lambda \frac{\mathrm{I}_{0}}{100} \mathrm{~S}_{\mathrm{n}}\right) ; \\
& \mathrm{S}_{\mathrm{e} \lambda}=\mathrm{S}_{\mathrm{n}} \sqrt{\frac{2\left(\Delta \mathrm{P}_{\mathrm{F}}+\lambda \frac{\mathrm{I}_{0}}{100} \mathrm{~S}_{\mathrm{n}}\right)}{\Delta \mathrm{P}_{\mathrm{w}}+\lambda \frac{\mathrm{U}_{\mathrm{sc}}}{100} \mathrm{~S}_{\mathrm{n}}}} \tag{2}
\end{align*}
$$

where:
$\Delta \mathrm{P}_{\mathrm{W}}, \Delta \mathrm{P}_{\mathrm{F}}$ - are the nominal losses in windings and iron circuit of the transformer [kW];
$S_{n}, S_{e}, S_{e \lambda}$ - nominal power of a transformer $\left(S_{n}\right)$ and the input powers at which is assessed the switching between the two states; (fig. 2)
$\mathrm{I}_{0}, \mathrm{U}_{\mathrm{sc}}$ - non-load current and short circuit voltage (the nominal values) of the transformer [\%];
$\lambda$ - energy equivalent of reactive power [kW / kVAr].
3. Application of "total updated costs" (TUC) criterion with considering the factors: proper technological consume (PTC) and safety level (SL)

The expression of TUC alternates between the two states is:

$$
\begin{equation*}
\mathrm{TUC}_{12}=\mathrm{TUC}_{1}-\mathrm{TUC}_{2}=\sum_{\mathrm{t}=0}^{\mathrm{T}^{\prime}}\left(\Delta \mathrm{C}_{12 \mathrm{t}}^{\mathrm{E}}+\Delta \mathrm{D}_{12 \mathrm{t}}\right)(1+\mathrm{a})^{-\mathrm{t}} \tag{3}
\end{equation*}
$$

where:
t , $\mathrm{T}^{\prime}$ - the current year ( t ) and the study period ( T )
a - updating rate
The variation of electric energy costs is determinate with the following relation:

$$
\begin{equation*}
\Delta \mathrm{C}_{12 \mathrm{t}}^{\mathrm{E}}=\mathrm{C}_{1 \mathrm{t}}^{\mathrm{E}}-\mathrm{C}_{2 \mathrm{t}}^{\mathrm{E}}=\Delta \mathrm{P}_{12} \cdot \overline{\mathrm{~K}}_{\mathrm{Et}} \cdot \tau \tag{4}
\end{equation*}
$$

where:
$\bar{K}_{E t}$ - is the average cost of electric energy in "t" year [MU/kWh]
$\tau$ - time to failure of the installation, in the given configuration in " t " year [ h ]
MU - monetary unit

To evaluate the supplementary damage by the analyzed consumers in state 1 in relation with state 2 , in " t " year, we propose to apply the following expression [7]:

$$
\begin{align*}
& \Delta D_{12 t}=D_{1 t}-D_{2 t}=\Delta v_{T t}^{12} \cdot D_{0}+\sum_{i \in t_{;} T_{C R_{i}}<t_{\mathrm{C}_{\mathrm{RZ}}}}^{T_{\mathrm{d}_{\mathrm{i}} \geq \mathrm{T}_{\mathrm{d}_{\mathrm{m}}}}^{12} \cdot D_{\mathrm{ndi}}+\beta_{\mathrm{t}} \cdot D_{d}}  \tag{5}\\
& \beta_{\mathrm{t}}=\left\{\begin{array}{l}
\Delta v_{\mathrm{t}}^{12} \cdot \mathrm{t}_{\mathrm{CRZ}} ; \text { for } \mathrm{r}_{\mathrm{CRZ}} \leq \mathrm{T}_{\mathrm{dM}} \\
\beta_{\mathrm{t}}^{1 ;} ; \text { for } \mathrm{t}_{\mathrm{CRZ}}>\mathrm{T}_{\mathrm{dM}}
\end{array}\right. \tag{6}
\end{align*}
$$

where:
$\Delta v_{t}^{12}$ - is the probably increasing of the total number of failures, on LV bar, in state 1 in relation with state 2 in "t" year;
$\Delta n_{d i}^{12}$ - number of probably failures with a certain duration ( $T_{d i}$ ) lest equal with the significant minimal value $\left(T_{d m}\right)$ in year " $t$ ", for state 1 in relation with state 2 ;
$\mathrm{t}_{\mathrm{CRZ}}$ - time interval for switching to reserve supplying [h];
$T_{d M}$ - maximal probable duration of the basic supply [h].
$\beta_{\mathrm{t}}^{1}$ - probable time interval where the basic supply is in fault in "t" year [h];
$\mathrm{D}_{0}$ - probably damage in moment of the interruption ( $\mathrm{T}_{\mathrm{CR}}$ ) [MU];
$\mathrm{D}_{\text {ndi }}$ - probable damages at different critical moments of the interruption ( $\mathrm{T}_{\mathrm{CRO}}$; $\mathrm{i} \geq 1$ ) [MU];
$D_{d}-$ the probable damage depending on the interruption's duration [MU/h].
The number of the double faults is negligible, in comparison with the simple one, it may be written:

$$
\begin{equation*}
\Delta v_{\mathrm{t}}^{12}=v_{\mathrm{t}}^{1} ; \Delta \mathrm{n}_{\mathrm{di}}^{12}=\mathrm{n}_{\mathrm{di}}^{1} ; \mathrm{T}_{\mathrm{di}}^{12}=\mathrm{T}_{\mathrm{di}}^{1}=\mathrm{T}_{\mathrm{di}} \tag{7}
\end{equation*}
$$

where:
$\mathrm{T}_{\mathrm{di}}^{12}$ - is the duration of interruption in state 1 in relation with state 2;
$v_{\mathrm{t}}^{1}, \mathrm{n}_{\mathrm{di}}^{1}, \mathrm{~T}_{\mathrm{di}}^{1}$ - have the same significance with indices $\Delta v_{\mathrm{Tt}}^{12}, \Delta \mathrm{n}_{\mathrm{di}}^{12}$, and $\mathrm{T}_{\mathrm{di}}^{12}$, referring on only state 1;
The mentioned indices are determinate for an element $\left(\mathrm{e}_{\mathrm{j}}\right)$ with relation [3]:

$$
\begin{equation*}
\mathrm{n}_{\mathrm{dj}}=\frac{\lambda_{\mathrm{j}} \cdot \mu_{\mathrm{j}}}{\lambda_{\mathrm{j}}+\mu_{\mathrm{j}}} \mathrm{~T}_{\mathrm{A}} ; \mathrm{T}_{\mathrm{dj}}=\frac{1}{\mu_{\mathrm{j}}} \tag{8}
\end{equation*}
$$

where:
$\lambda_{\mathrm{j}}, \mu_{\mathrm{j}}$ - are the intensities of faulty and repair $\left[\mathrm{h}^{-1}\right]$;
$\mathrm{T}_{\mathrm{A}}$ - the period of analyze [h].
After evaluating of the doublets $\left(\mathrm{n}_{\mathrm{dj}}, T_{\mathrm{dj}}\right)_{\mathrm{j}}=\left\{\mathrm{C}, \mathrm{T}, \mathrm{C}^{\mathrm{i}}\right\}$ are determined the following indices:

$$
\begin{equation*}
v_{\mathrm{t}}^{1}=\mathrm{n}_{\mathrm{dc}}+\mathrm{n}_{\mathrm{t}}+\mathrm{n}_{\mathrm{dc}} ; \quad \beta_{\mathrm{t}}^{1}=\mathrm{n}_{\mathrm{dc}} \cdot \mathrm{~T}_{\mathrm{dc}}+\mathrm{n}_{\mathrm{t}} \cdot \mathrm{~T}_{\mathrm{t}}+\mathrm{n}_{\mathrm{c}^{\prime}} \cdot \mathrm{T}_{\mathrm{dc}^{\prime}} \tag{9}
\end{equation*}
$$

The categories of damages $D_{0}, D_{\text {ndi }}, D_{d}$ will be determined in function with the specifically indices of the damage with relation [3,7]:

$$
\begin{align*}
& D_{0}=P_{0} \cdot d_{p 0} \\
& D_{n d i}=P_{n d} \times d_{p i}  \tag{10}\\
& D_{d}=K_{u} \cdot P_{d} \cdot d_{w}
\end{align*}
$$

where:
$\mathrm{d}_{\mathrm{P} 0}, \mathrm{~d}_{\mathrm{Pi}}$ - represents the relative damage of the installed capacity, corresponding receptor groups at which exists $T_{C R 0}\left(d_{P O}\right)$ and $\left.T_{C R i}\left(d_{P i}\right) i \geq 1\right)[M U / k W]$;
$\mathrm{d}_{\mathrm{w}}$ - relative damage at undelivered energy [MU/kW];
$P_{0}, P_{n d}, P_{d}$ the installed capacities in receptor groups for which are presented the categories of $D_{0}, D_{\text {ndi }}$, $\mathrm{D}_{\mathrm{d}}$ of the damage $[\mathrm{kW}]$;
$\mathrm{K}_{\mathrm{u}}$ - the utilizing coefficient of the input power, by the group of receptors.
There is considered, that it is more useful if relation (3) is applied for " t " year when the analyze is made. In this case, the power at which is made the switching between the two states, results from the relation:

$$
\begin{equation*}
\frac{1}{2}\left(\Delta P_{W}+\lambda \frac{U_{S C}}{100} S_{n}\right)\left(\frac{S}{S_{n}}\right)^{2} \cdot \bar{K}_{E t} \cdot \tau-\left(\Delta P_{F}+\lambda \frac{I_{0}}{100} S_{n}\right) \cdot \bar{K}_{E t} \cdot \tau+\Delta D_{12 t}=0 \tag{11}
\end{equation*}
$$

The expression of the power will be:

$$
\begin{equation*}
S_{e \lambda D}=S_{n} \sqrt{\frac{2\left(\Delta P_{F}+\lambda \frac{I_{0}}{100} S_{n}\right) \cdot \bar{K}_{E t} \cdot \tau-2 \Delta D_{12 t}}{\left(\Delta P_{w}+\lambda \frac{U_{S C}}{100} S_{n}\right) \cdot \bar{K}_{E t} \cdot \tau}} \tag{12}
\end{equation*}
$$

## 4. Application of the criteria TUC with all factors considering

The expression of TUC variation, referring on the two states for "t" year is:

$$
\begin{equation*}
\mathrm{TUC}_{12}=\frac{1}{2}\left(\Delta \mathrm{P}_{\mathrm{W}}+\lambda \frac{\mathrm{U}_{\mathrm{Sc}}}{100} \mathrm{~S}_{\mathrm{n}}\right)\left(\frac{\mathrm{S}}{\mathrm{~S}_{\mathrm{n}}}\right)^{2} \cdot \overline{\mathrm{~K}}_{\mathrm{Et}} \cdot \tau-\left(\Delta \mathrm{P}_{\mathrm{Fe}}+\lambda \frac{\mathrm{I}_{0}}{100} \mathrm{~S}_{\mathrm{n}}\right) \cdot \overline{\mathrm{K}}_{\mathrm{Et}} \cdot \tau+\Delta \mathrm{D}_{12 t}+\Delta \mathrm{C}_{12 \mathrm{t}}+\Delta \mathrm{I}_{12 t} \tag{13}
\end{equation*}
$$

That involves the power computing at which is justified the switching between the states, basing on the expression:

$$
\begin{equation*}
S_{\mathrm{exD}}^{\mathrm{Cl}}=\mathrm{S}_{\mathrm{n}} \sqrt{\frac{2\left(\Delta \mathrm{P}_{\mathrm{F}}+\lambda \frac{\mathrm{I}_{0}}{100} \mathrm{~S}_{\mathrm{n}}\right) \cdot \overline{\mathrm{K}}_{\mathrm{Et}} \cdot \tau-2\left(\Delta \mathrm{D}_{12 \mathrm{t}}+\Delta \mathrm{I}_{12 \mathrm{t}}+\Delta \mathrm{C}_{12 \mathrm{t}}\right)}{\left(\Delta \mathrm{P}_{\mathrm{W}}+\lambda \frac{U_{\mathrm{SC}}}{100} \mathrm{~S}_{\mathrm{n}}\right) \cdot \overline{\mathrm{K}}_{\mathrm{Et}} \cdot \tau}} \tag{14}
\end{equation*}
$$

where:
$\Delta \mathrm{C}_{12 \mathrm{t}}$ - supplementary costs in " t " year, through the operating, state 1 or 2 in relation with the permanently operating in state 2 [MU];
$\Delta \mathrm{I}_{12 \mathrm{t}}$ - quota of invested supplementary costs, that corresponds to "t" year for the period of study, due to the alternative operating in state 1 or 2 , in function with permanently operation in state 2 [MU].

The costs $\Delta \mathrm{C}_{12 \mathrm{t}}$ especially refers on, the values of the elements in the interruption, that are supposed on the accelerated usage, by repeated maneuvers, that must be supplemented with the revision that may be appreciated with the relation:

$$
\begin{equation*}
\Delta C_{12 t}=\Delta N_{12 t}\left(\frac{C_{t}}{N_{R}}+\frac{C_{t}^{\prime}}{N_{R}^{\prime}}\right)=\left(N_{1 t}-N_{2 t}\right)\left(\frac{C_{t}}{N_{R}}+\frac{C_{t}^{\prime}}{N_{R}^{\prime}}\right) \tag{15}
\end{equation*}
$$

where:
$N_{1 t}, N_{2 t}$ - number of the maneuvers at which are supposed the switchers in case of alternating operation 1-2 $\left(N_{1 t}\right)$ respectively, stabile operation in state $2\left(\mathrm{~N}_{2 t}\right)$.
$N_{R} N_{R}^{\prime}$ - number of the maneuvers between two consecutively revision of the switcher $M V\left(N_{R}\right)$ and LV(N'R).
$\mathrm{C}_{\mathrm{t}}, \mathrm{C}_{\mathrm{t}}^{\prime}$ - annual exploitation costs (exclusively pay and PTC) afferent to a switcher of MV(C) and LV(C $\left.\mathrm{C}_{\mathrm{t}}^{\prime}\right)$ [MU].
To evaluate the term of $\Delta \mathrm{l}_{12 \mathrm{t}}$ may be applied the relation of:

$$
\begin{equation*}
\Delta l_{12 t}=\frac{V_{A C}^{t i}-W_{A C}^{t i}}{\left(t_{i}-t\right)(1+a)^{t i-t}} ; \quad t_{i}>t \tag{16}
\end{equation*}
$$

where:
$V_{A C}^{t i}$ - the foreseen value of the switching device that substitutes the used device supposed to intense maneuvers in year of change $t_{i}$ [MU];
$W_{A C}^{t i}$ - remanent value of the usage device unaffected in $t_{i}$ year, [MU].

## 5. Application

The single - wire scheme of the transformer station is presented in fig. 3.
It is established the existence of two configuration, of " $2 \times 100 \%$ " (PT1 and PT2), and the second configuration of " $\mathrm{n}+1$ " type PT3 + PT4 +PT9 = $(3+1)$ and PT $(5 \div 8)+$ PT $10+\mathrm{PT} 11=(5+1)$. The loading curves are presented in fig. 4. The input power $P_{i}$, and the utilization coefficients of the input power $\left(\mathrm{K}_{\mathrm{u}}\right)$ on technological sectors are presented in table 1 , as well as the characteristics of the transformers are in table 2. For the analyzed consumers, in function with the interruption moment, ( $\mathrm{T}_{\mathrm{cr}}=$ $8.33 \times 10^{-4} \mathrm{~h}=3 \mathrm{~s}$ ), the following critical moment is $\mathrm{T}_{\mathrm{cr} 1}=0.05 \mathrm{~h}[6,7]$, that justifies the adoption of the value of $T_{d m}=0.05 \mathrm{~h}$. In exploitation were determinate the indices of $\lambda_{j}$ and $\mu_{j}[3]$.

The analyzed consumer is for construction of machine tools and has receivers of electric energy for basic processes: founding, forging, mechanic cold work, thermal treatment and galvanization, as well as receivers for insure the general conditions of the technological processes from the machine building. In [3], are given the specific indices for characteristically processes of the analyzed consumer.


Fig. 3 - Single wire scheme of $6 / 0.4 \mathrm{kV}$ transformer for supplying with electric energy of the analyzed enterprises: T- founding, F - forging; P - chip removing process; TR - treatment; G - galvanization; C computer

Other calculating elements:
$\lambda=0.03 \mathrm{~kW} / \mathrm{kVA} ; \overline{\mathrm{K}}_{\mathrm{Et}}=0.13 € / \mathrm{kWh} ; \tau=7200 \mathrm{~h} ; \mathrm{N}_{\mathrm{R}}+\mathrm{N}_{\mathrm{R}}=300 ;$
$C_{t}+C_{t}^{\prime}=0.066\left(\bar{V}_{\text {II }}+\overline{\mathrm{V}}_{\text {Ii }}^{\prime}\right)=2.43$ thousand $€$.
$\mathrm{PT}_{3}$
PT.
 If aren't given the necessary data by the application of ( 114 ) aren't taking into account the (ierms of $\Delta I_{12 t}, \Delta I_{t}$ and $W_{\text {rt }}$.
The results of the computing for configuration of " $2 \times 100 \%$ " are presented in table 3.
$B_{13}$
By evaluating of the damage, ( $\Delta \mathrm{D}_{12 t}$ ), it was considered the component $\mathrm{D}_{4}$ too [3]. The calculation was made for three values of $T_{C R}$ parameter: $8.3310^{-4} \mathrm{~h}$ (corresponding to ASR system), 0.1 h (when the commutation of the reserve supplying is made manually, for the switchers) and 2.5 h (after when will be put in operation the failed path). To dispose of comparative elements, for the transformers which disservice all technological sectors, it analyzed the configuration of $2 \times 630 \mathrm{kVA}$ too (TR + G), that doesn't exist in the actual situation, but it is possible. In optimal states the operation of the transformer station, leads to obtaining of some saving about $1950 \mathrm{M} / \mathrm{m}_{4}$ year viewing the states all of the operating transformers.

## 1000 KVA

Table 1 - Consume characteristics on technological sectors $T$ )

| Technologic sector Indices | T | $\mathrm{F}_{\mathrm{B}_{16}}$ | P |  | TR | G |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | Total | $\mathrm{PT}_{1}$ |  |  |
| $\mathrm{P}_{\mathrm{i}}[\mathrm{kW}]$ | 1751 | 265 | 7422 | 1866 | 1988 | 198 |
| $\mathrm{K}_{\mathrm{u}}$ | 0.18 | 0.22 | 0.14 | 0.1 | 0.15 | 0.15 |

Table 2 - Characteristics of the transformers

| $\mathbf{S}_{\mathbf{n}}[\mathbf{k W A}]$ | $\mathbf{U}_{1 \mathbf{n}} / \mathbf{U}_{2 \mathrm{n}}$ <br> $[\mathbf{k V / k V}]$ | $\Delta \mathbf{P}_{\mathbf{F}}[\mathbf{W}]$ | $\Delta \mathbf{P}_{\mathbf{W}}[\mathbf{W}]$ | $\Delta \mathbf{U}_{\mathbf{s c}}[\%]$ | $\mathbf{I}_{\mathbf{0}}[\%]$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 630 | $6 / 0.4$ | 1700 | 9900 | 6 | 4.8 |
| 1000 | $6 / 0.4$ | 2730 | 14100 | 6 | 4.1 |
| 1600 | $6 / 0.4$ | 3900 | 21000 | 6 | 3.5 |


a) $\mathrm{PT}_{1}$

b) $\mathrm{PT}_{2}$


d) $\mathrm{PT}_{5}$

S[MVA]

$16 \quad 18 \quad 20$
e) $\mathrm{PT}_{5}+\mathrm{PT}_{6}+\mathrm{PT}_{7}+\mathrm{PT}_{8}+\mathrm{PT}_{10}+\mathrm{PT}_{11}$

Fig. 4 - Loading curves on transformers and transformer groups

Table 3 - Element of calculus for configuration " $2 \times 100 \%$ "

| Calculus elements <br> Existent | $\begin{aligned} & \frac{\mathrm{S}_{\mathrm{e}}}{\mathrm{~S}_{\mathrm{e} \lambda}} \\ & \lceil\mathrm{kVA}\rceil \end{aligned}$ | $\Delta \mathrm{D}_{12 \mathrm{t}}[\mathrm{th}$ | $\begin{aligned} & \text { sanc } \\ & \text { [h] } \end{aligned}$ |  | $\frac{\Delta \mathrm{N}_{12 \mathrm{t}}}{\Delta \mathrm{C} 12 \mathrm{t}}$ <br> [1/thous |  | $\begin{aligned} & {\left[\frac{\mathrm{kVA}}{\mathrm{kVA}}\right.} \\ & \mathrm{cR}[\mathrm{~h}] \end{aligned}$ |  | Ope | ation state |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| configuration | [ $\overline{\mathrm{kVA}}$ | $8.3310^{-4}$ | 0.1 | 2.5 | and €] | $8.3310^{-4}$ | 0.1 | 2.5 | basic | occasional |
| $\begin{aligned} & \text { 2x1000 kVA } \\ & \text { (P) } \end{aligned}$ | $\frac{622}{706}$ | 6.87 | 6.95 | 7.85 | $\frac{78.25}{2.55}$ | $\frac{705}{705}$ | $\frac{705}{705}$ | $\frac{705}{705}$ | 1 | 2 |
| $\begin{aligned} & 2 \times 630 \mathrm{kVA} \\ & \text { (F) } \end{aligned}$ | $\frac{369}{433}$ | 0 | 0.016 | 0.16 | $\frac{234.75}{7.65}$ | $\frac{433}{432}$ | $\frac{433}{432}$ | $\frac{433}{432}$ | 1 | 2 |
| $2 \times 1000 \mathrm{kVA}$ <br> (T) | $\frac{622}{706}$ | 0 | 0.019 | 9 | $\frac{156.5}{5.1}$ | $\frac{706}{705}$ | $\frac{706}{705}$ | $\frac{705}{704}$ | 2 | 1 |
| $\begin{aligned} & 2 \times 630 \mathrm{kVA} \\ & (\mathrm{TR}+\mathrm{G}) \end{aligned}$ | $\frac{369}{433}$ | 0 | 22.85 | 69.77 | $\frac{234.75}{7.65}$ | $\frac{433}{432}$ | $\frac{431}{430}$ | $\frac{428}{426}$ | 1 | 2 |

## Conclusions

The stations of MV / LV used to supply the industrial consumers with electric energy, includes the following typical configurations: " $2 \times 100 \%$ " and " $n+1$ " - by applying the criterion of "total updated costs".

Referring on the configuration " $2 \times 100 \%$ ", it was deduced two relations for calculation of input power at which is justified the switching from the passive reserve state to active reserve state and inverse. In relation (12) are the following factors: proper technological consume and safety level, and relation (14) includes the supplementary costs too. The appreciation of the values for the mentioned factors is detailed, in this paper, by relations and indices of the analyzed domain. A result is that in conditions of some normal supplementary maneuvers ( $1 \div 5 /$ day $)$, the values of the powers at which are justified the switching between the two states, results through application of criteria TUC, have relative small displacement ( $1 \div$ 10 kVA ) referring to the stabilized values by application of criterion "minimal power losses". The mentioned deflection, are in function with time after when is connected the reserve supplying and of specifics of the sectors. The made evaluations, presents that by introducing of all implied factors the reservation mode in " $2 \times 100 \%$ " configuration is stabilized basing on the load curve, so isn't justified the active reserve state the permanently operation.

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